

Section 2: Testing for correlation

Exercise level 1

А	Child				A]	3	C	D	E	F	G	Η	Ι	J					
	Arithmetic Mark x				1	8	15	18	23	28	33	39	45	45					
	English Mark y				3 1	4	8	20	19	17	36	26	14	29					
В	X		3	7	9)	1	1	14	1	4	15		21	2	2	23	24	
	у		5	12	5		12	2	10	1	7	23	23 1		1	0	20	25	
С	X	0.6	1		2	2.	.5	2.	8	3.6	4	1	4		4	5			
	y 5		10)	15		10		5	7.5	2.	.5	5	15		10			
_																			
D	Х	1	5	5	4	5	6		7.5	7.5	5 7	7.5	10	1	1	12.5	14	14.5	
	у	85	82	85	8	9	78	3	66	77	' 8	81	70	7	4	65	69	63	

- 1. For each of tables of bivariate data, A, B, C above:
 - (i) Draw a scatter diagram of the data of *y* against *x*.
 - (ii) Describe the nature of any correlation of *x* and *y*.
 - (iii) Calculate the mean value of x and that of y. Mark the point $(\overline{x}, \overline{y})$ on the diagram and if appropriate draw a line of best fit eye through the mean point.
- 2. Use your scatter diagrams from Question 1 to answer these questions.
 - (i) Using your graph for A, estimate the English mark for another student in the group who scored an arithmetic mark of 35.
 - (ii) In B, y represents a maths mark with 20 subtracted and x represents a student's IQ with 100 subtracted. Estimate from your graph for B, the maths mark of another student in the group with an IQ of 120. What about a student with an IQ of 140?
 - (iii) What can be estimated from C?
- 3. (i) Consider the data for D. Identify the outlier and suggest a reason for it.(ii) Remove the outlier and repeat Q1 for D.
- 4. Use calculator or spreadsheet functions to calculate the product moment correlation coefficients for each of A, B, C and D.

In question 5 to 8, hypothesis tests are carried out using samples of bivariate data (x, y) from a parent population.



Edexcel A level Maths Hypothesis testing 2 Exercise

In each case state whether the test should be 1-tail or 2-tail, find the critical value and give the acceptance and critical regions. State whether the result is significant and why, and draw the correct conclusions about the population.

- 5. H₀: No correlation $\rho = 0$ H₁: Positive correlation $\rho > 0$ 5% significance level. A random sample of 20 gives correlation coefficient r = 0.4.
- 6. H₀: No correlation $\rho = 0$ H₁: Some correlation $\rho \neq 0$ 2% significance level. A random sample of 20 gives correlation coefficient r = 0.5.
- 7. H_0 : No correlation $\rho = 0$ H_1 : Negative correlation $\rho < 0$ 5% significance level.A random sample of 15 gives correlation coefficient r = -0.6.
- 8. H₀: No correlation $\rho = 0$ H₁: Some correlation $\rho \neq 0$ 5% significance level. A random sample of 28 gives correlation coefficient r = -0.45.